

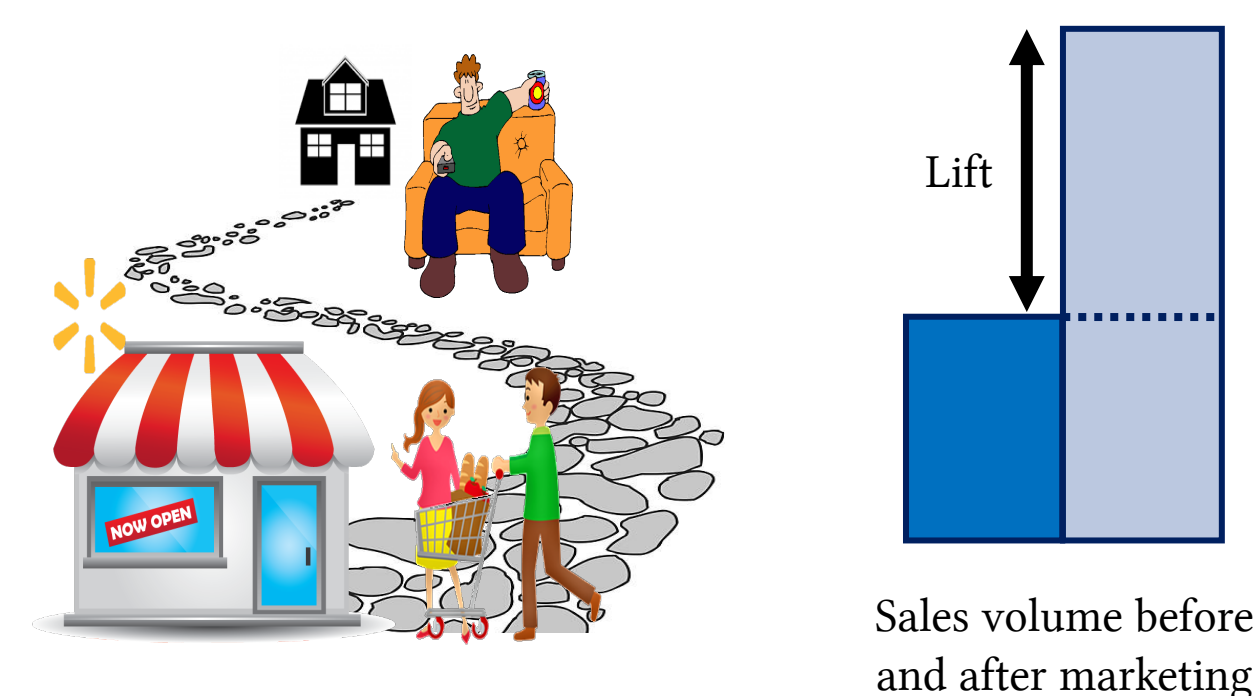
## SHOPPER MARKETING

### What is shopper marketing?

Shopper marketing (SM) involves designing marketing campaigns benefiting both marketers and retailers that influence the behavior of shoppers along their path to purchase.

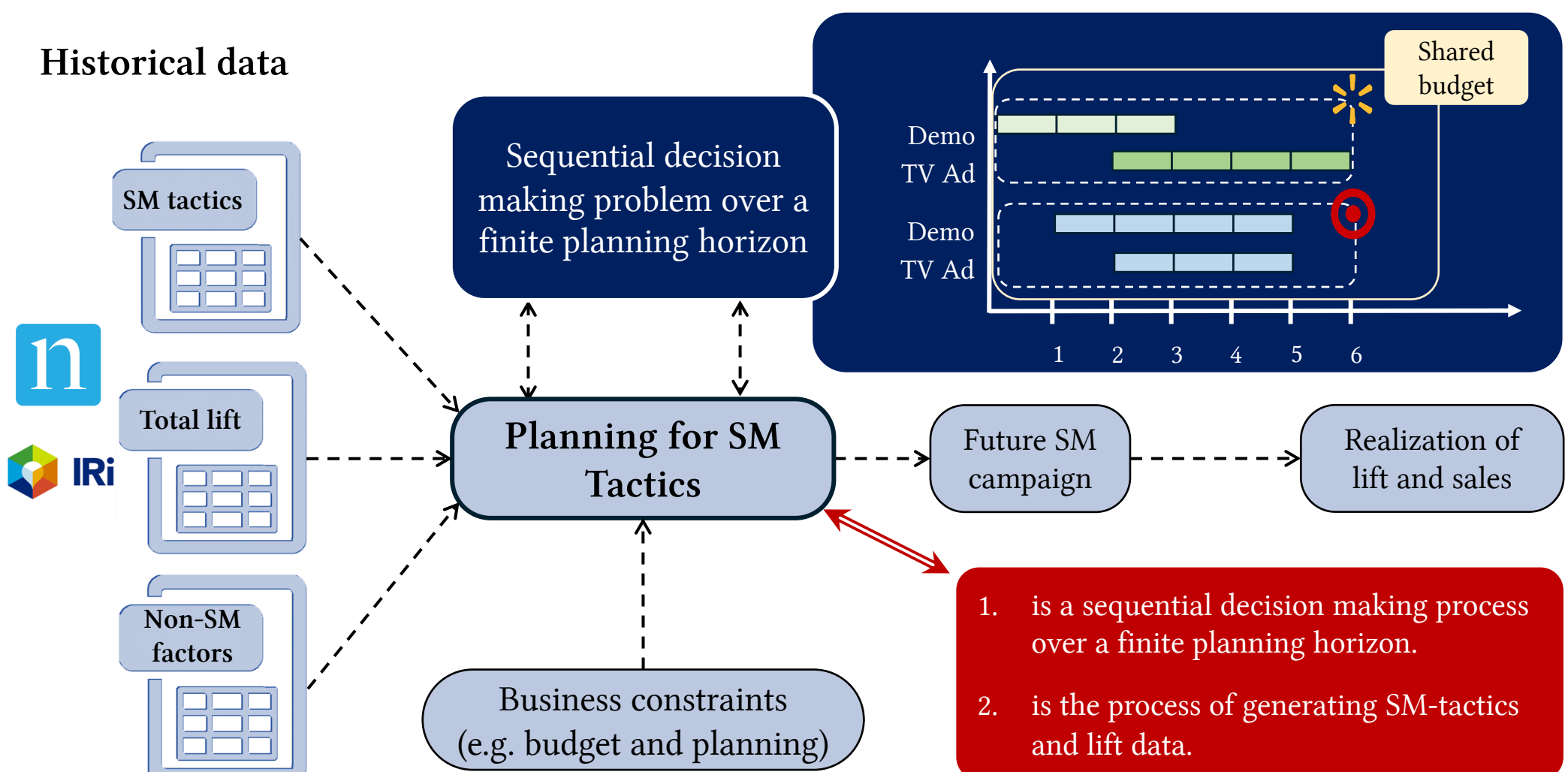
### Examples of shopper marketing tactics

- In-store tactics:** paper signage, endcap display, live demo
- Pre-store tactics:** social media campaign, TV Ad, coupon



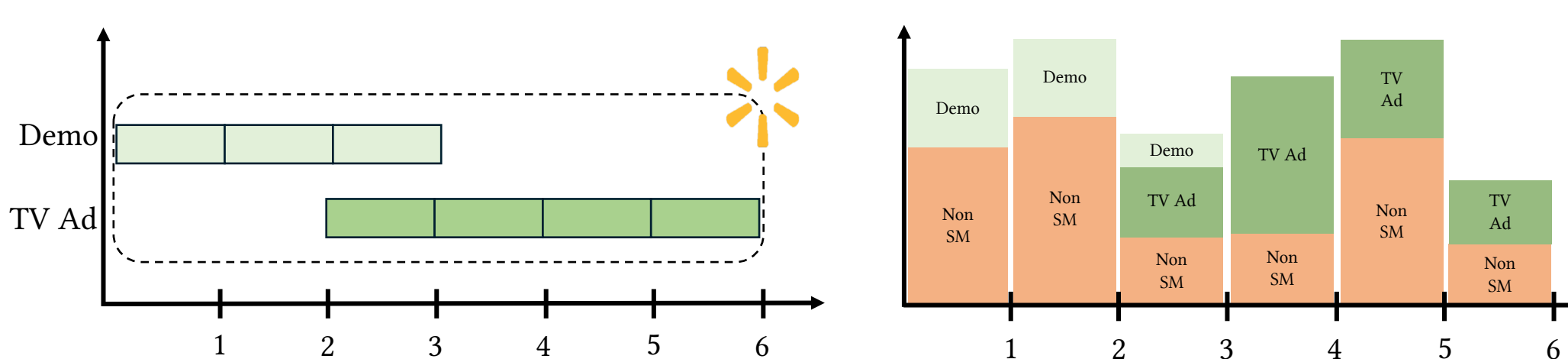
### Challenges in planning shopper marketing campaigns and mining lift data

- SM is one of the fastest-growing forms of marketing for consumer packaged goods.
- SM accounts for 3% to 13% of the total marketing budget.
- SM explains 3% to 5% of the total marketing lift.
- Mining SM tactics and lift data as well as designing SM campaigns are challenging tasks.



## SMOILE'S VIEWPOINT TO SHOPPER MARKETING

- Lift attribution** isolates the effect of individual SM and non-SM factors from the total marketing lift.



- Tactic planning** receives attributed lift as input and prescribes a sequence of "optimal" SM tactics for a finite future planning horizon.



## RELATED LITERATURE AND CONTRIBUTIONS

- Empirical optimization (EO)** (Bartlett & Mendelson 2006, Kao & Roy 2012):
- ✓ It views lift attribution as a sequential decision making process which is consistent with the data generation process.
  - ✗ Specific to SM, we cannot directly use EO since attributed lift is unknown and it should be mined.
- Inverse reinforcement learning (IRL)** (Ng & Russell 2000, Abbeel & Ng 2004):
- ✓ It captures the temporal link of actions by viewing lift attribution as a sequential decision making process. IRL makes mining lift consistent with the data generation process.
  - ✗ Specific to SM, various business constraints should be integrated into the IRL setting which is not common in the existing IRL methods.
- Data-driven optimization** (Bertsimas & Thiele 2006):
- ✓ It can handle multiple sources of data as well as various business constraints.
  - ✗ In the data-driven optimization framework, it is not trivial how the lift attribution should be modeled as a sequential decision making process.

Related literature

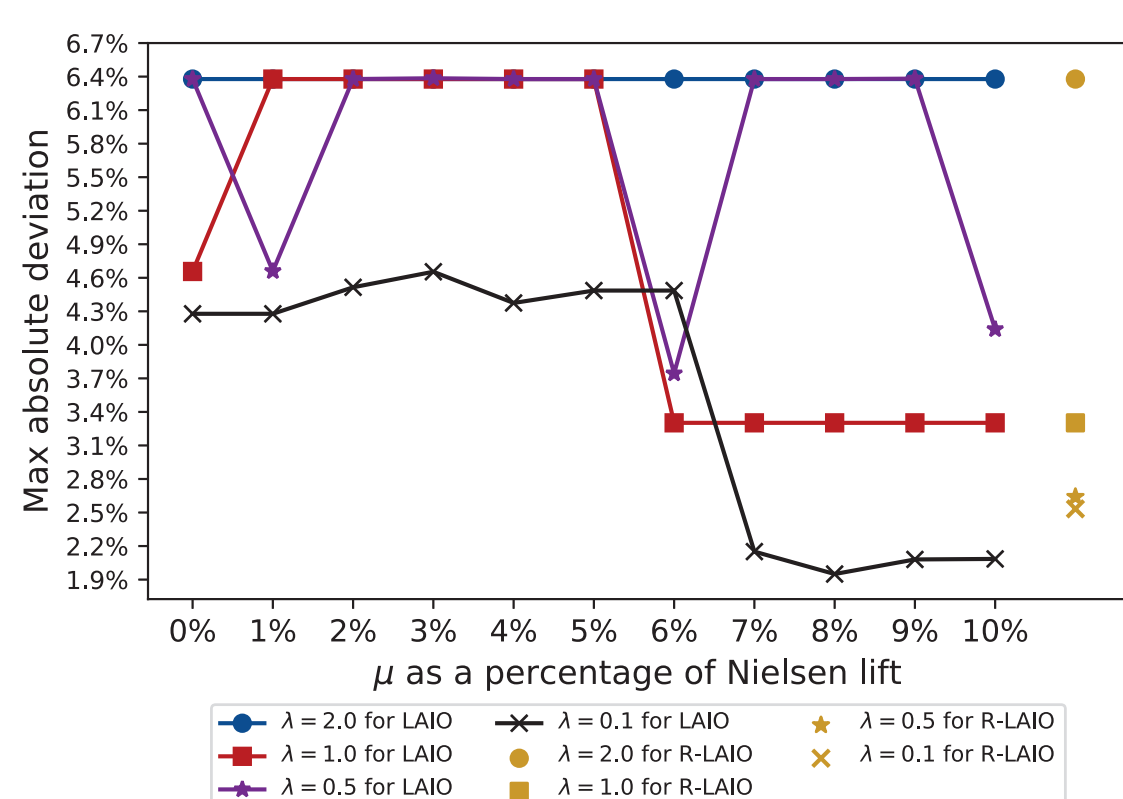
Contributions

- We use IRL constraints in a data-driven math program to both handle a wide-array of business constraints as well as learn a model of lift consistent with the data generation process.
- SMOILE makes both tactic planning and lift attribution steps consistent.
- We use a unique data set including multiple data sources related to SM tactics, point of sales data, lift information, and business constraints, to benchmark performance of SMOILE.
- We numerically show that respecting how the data is generated leads to better predictive models of lift.

## NUMERICAL STUDY

### Cross-validating SMOILE's parameters

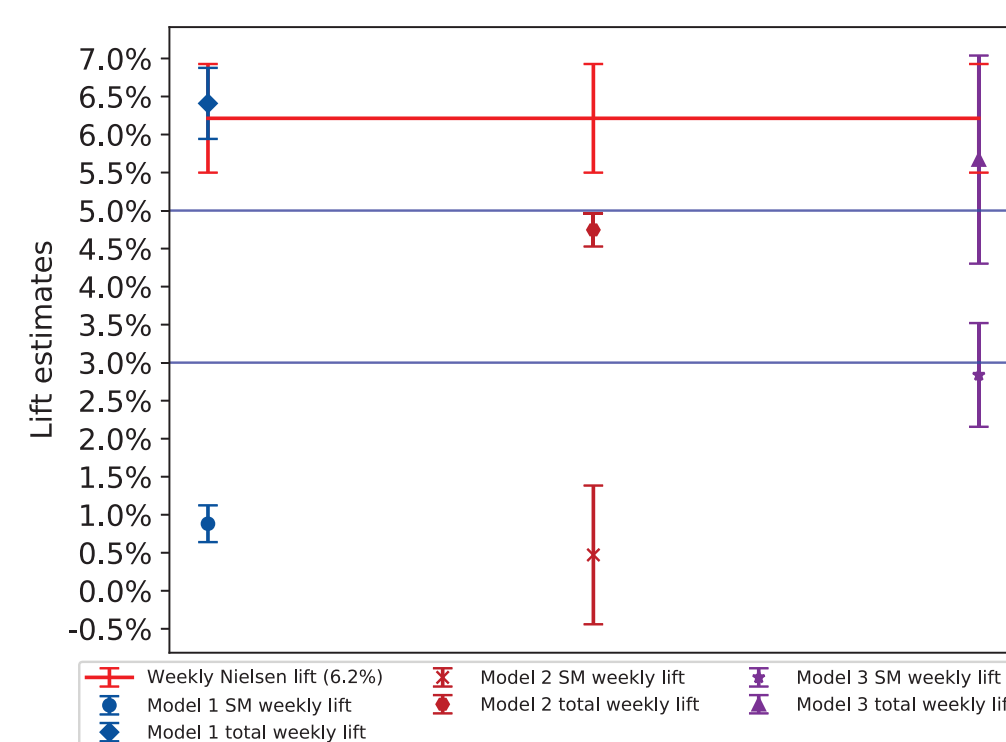
Maximum absolute deviation between weekly lifts of Model 3 and Nielsen on the validation set.



- Appropriately modeling the data generation process does improve the quality of lift models.
- Optimal  $\lambda^*$ : 0.1%
- Optimal  $\mu^*$ : 8.0%
- Min MAD: 1.95%

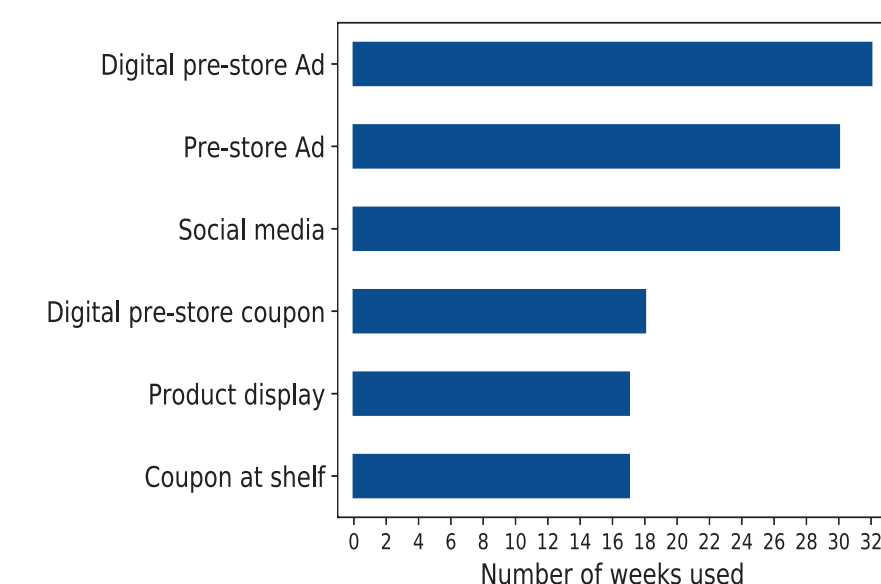
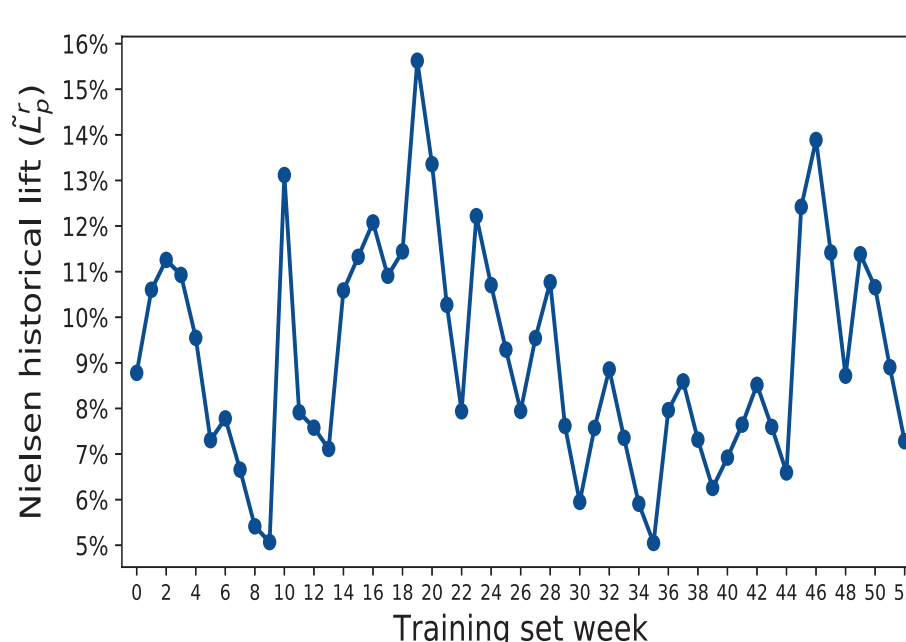
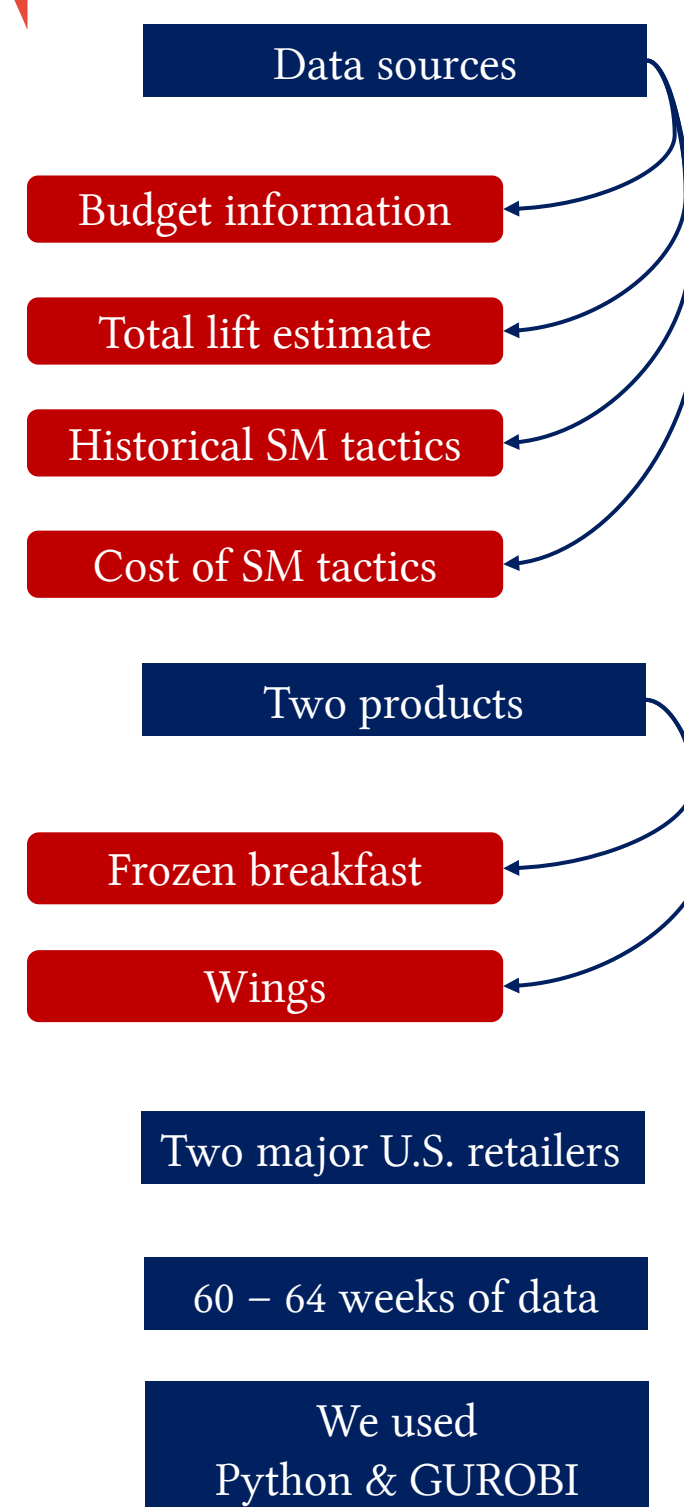
### Comparing performance of lift models on a test set

Maximum absolute deviation between weekly lifts of Model 3 and Nielsen on the validation set.



- Modeling consumer behavior avoids spurious results.
- Model 3 with waiting and satiation effects outperforms the other models.
- On a test set, model 2 and model 3 attribute 3% to 5% of the total lift to SM tactics which is consistent with practice.

## DATA



## DATA-DRIVEN LIFT ATTRIBUTION INVERSE LEARNING AND TACTIC PLANNING OPTIMIZATION

### Lift attribution inverse optimization

$$\max_{\beta, \theta} \sum_{r \in \mathcal{R}} \sum_{t \in \mathcal{T}^T} L_{p(t)}^r(\theta, \beta; \tilde{s}_t^r, \tilde{e}_t^r) - \lambda \|\theta, \beta\|_1$$

Overfitting parameter

$$\text{s.t. } L_{p(t)}^r(\theta, \beta; \tilde{s}_t^r, \tilde{e}_t^r) \leq \tilde{L}_t^r, \forall (r, t) \in \mathcal{R} \times \mathcal{T}^T$$

Near-optimality parameter

$$\sum_{r \in \mathcal{R}} [L_{p(t)}^r(\theta, \beta; \tilde{s}_t^r, \tilde{e}_t^r) - L_{p(t)}^r(\theta, \beta; \tilde{s}_t^r, \tilde{e}_t^r)] \leq \mu$$

Exponentially many IRL constraints

$$\forall \{s_t^r, (r, t) \in \mathcal{R} \times \mathcal{T}^T\} \in \mathcal{F}(\mathcal{T}^T)$$

Business constraints

$$\beta_p^r \in \mathcal{B}_p^r, \forall (r, p) \in \mathcal{R} \times \mathcal{T}^P$$

### Tactic planning optimization

$$\max_s \sum_{r \in \mathcal{R}} \sum_{p \in \mathcal{T}^P \setminus \{0\}} L_p^r(s_p^r, e_s^r)$$

Attributed lift from LAIO

$$\text{s.t. } (s_p^r, (r, p) \in \mathcal{R} \times \mathcal{T}^P) \in \mathcal{F}(\mathcal{T}^P)$$

Encodes feasibility of plans

### Properties of LAIO and TPO

- LAIO & TPO can be cast as mixed integer linear programs.
- LAIO & TPO can be solved efficiently via commercial solvers.
- LAIO has two parameters controlling near-optimality ( $\mu$ ) of historical SM tactics and overfitting ( $\lambda$ ), and they can be tuned efficiently.

### Modeling lift using consumer behavior

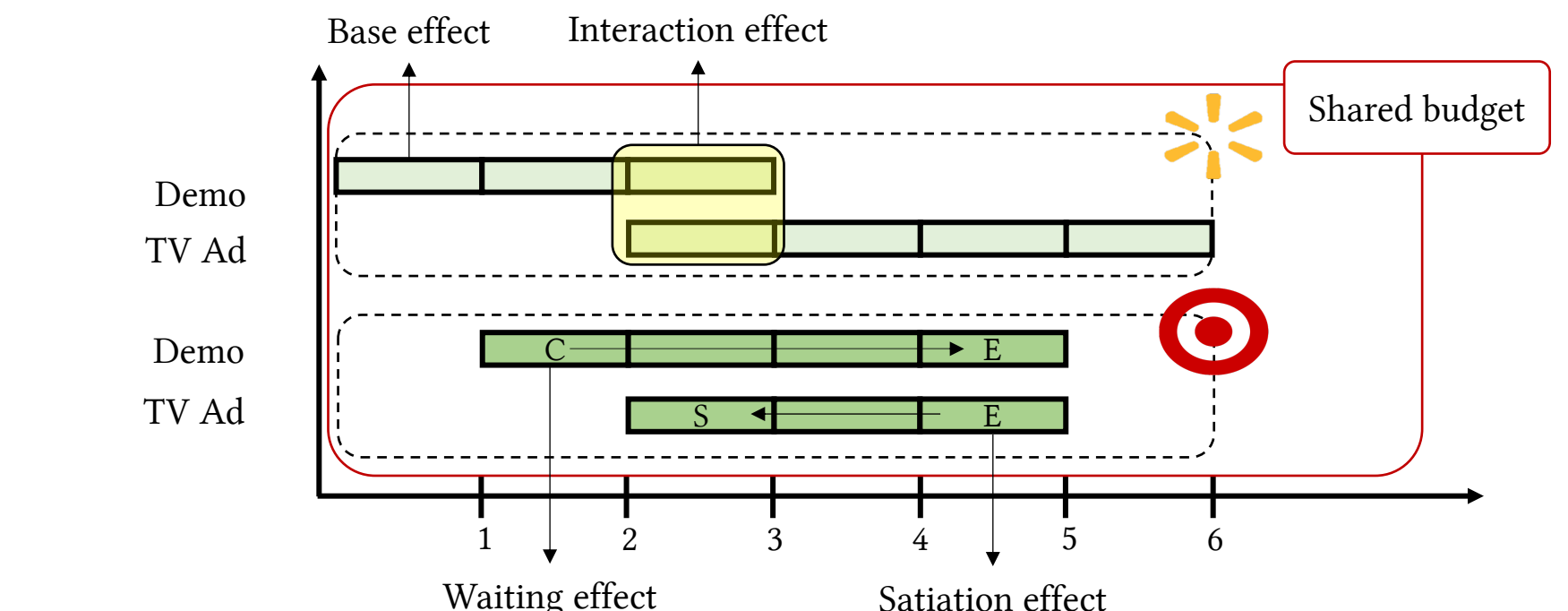
We approximate lift via parametric models that encode features of both SM and non-SM factors.

$$L_p^r(\theta, \beta; s_p^r, e_s^r) := EL_p^r(\theta; e_s^r) + SML_p^r(\beta; s_p^r);$$

$$EL_p^r(\theta; e_s^r) := \langle \Psi(e_s^r), \theta_{m(p)}^r \rangle;$$

$$SML_p^r(\beta; s_p^r) := \langle \Phi(s_p^r), \beta_{m(p)}^r \rangle;$$

- Model 1**: Base + interaction
- Model 2**: Base + interaction + waiting
- Model 3**: Base + interaction + waiting + satiation



We show that leveraging the consumer behavior in modeling the marketing lift affect performance of lift models and avoids spurious results.

### Endnotes and references:

1. University of Illinois at Chicago, Chicago, Illinois, USA.
  2. Foresight ROI, Inc, Chicago, Illinois, USA.
- <sup>†</sup> Chenredy, Abhilash Reddy, et al. "SMOILE: A Shopper Marketing Optimization and Inverse Learning Engine." Proceedings of the 25th ACM SIGKDD International Conference on Knowledge Discovery & Data Mining. ACM, 2019.
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